

Concurrent programs wait faster

Tony Hoare



Waiting for a bus

Let P mean: wait for a bus on route nr 9.

The average wait is 28 mins.

Let Q mean: wait for a bus on route nr 7.

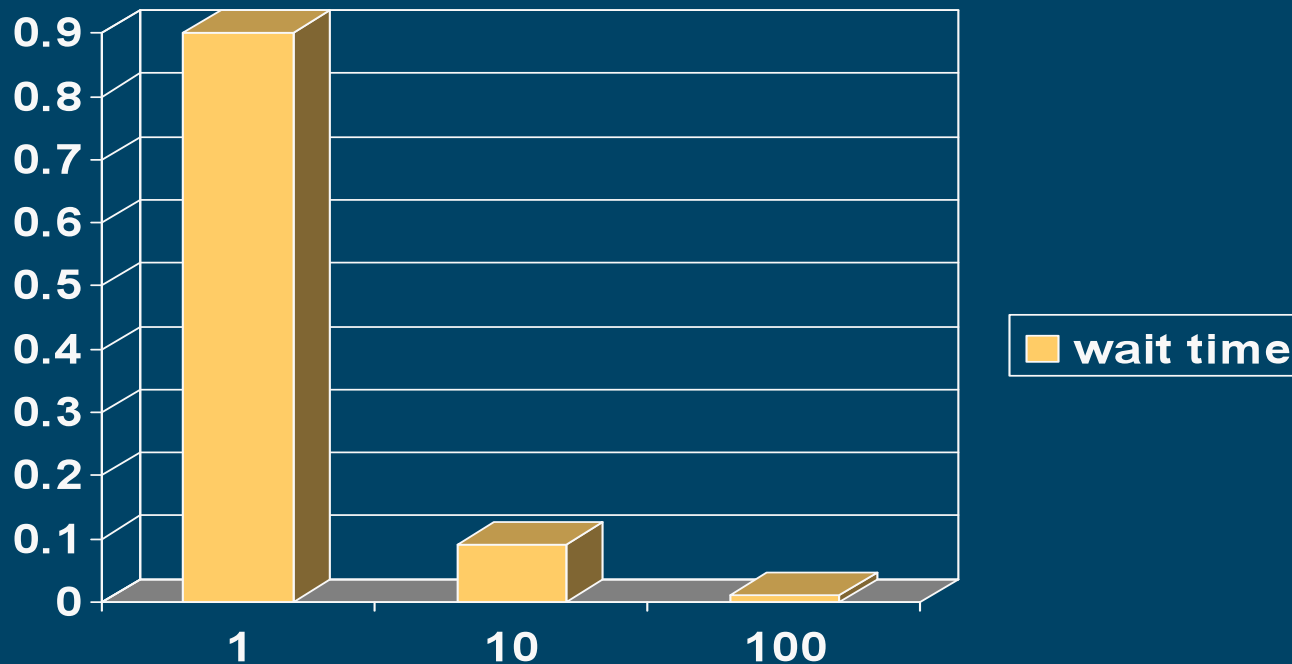
The average wait time is 28 mins

$(P \text{ first } Q)$ means: wait for the first of the two buses

The average wait reduces to 11 mins

Delay probabilities (say)

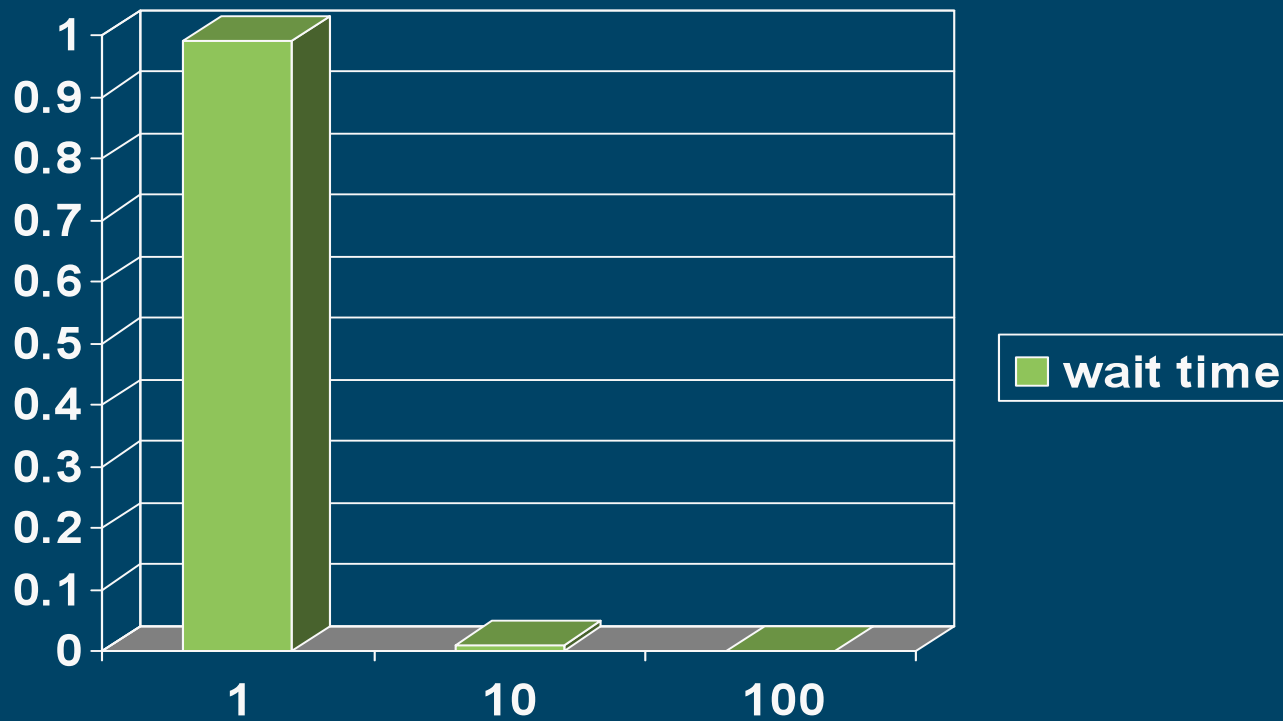
average: $.9 + .9 + 1 = 2.8$



Let P, Q, R be so distributed, independently.

Delay of *first*

average: .99 + .099 + .01 = 1.099



An event

is an instantaneous or atomic action, that may occur after a delay; it either completes or it fails cleanly without effect (as though it never starts), e.g.,

an input,

an output,

an alarm-call,

a lock acquisition

...perhaps an RPC or a transaction

Let P, Q, R stand for such atomic events.

Examples

```
Sleep (3 * seconds) ;
```

```
Scanf ("%d", &X ) ;
```

```
WaitForSingleObject (p, INFINITE) ;
```

Implementation of *first*

```
HANDLE temp [2] = { p,q };  
if (WAIT_OBJECT_0 ==  
WaitForMultipleObjects  
    ( 2, temp, false, INFINITE ))  
    { /* ..code to deal with p.. */ }  
else { /* ..code to deal with q.. */ }
```

Sockets implementation

```
fd_set temp;  
FD_ZERO(&temp);  
FD_SET(p, &temp);  
FD_SET(q, &temp);  
select(0, &temp, NULL, NULL, NULL);  
if (FD_ISSET(p, &temp))  
    { /* ..read from socket p.. */ }  
else { /* .. read from socket q.. */ }
```


Waiting for both busses

Let P mean: wait for a bus on route nr 9.

The average wait is 28 mins.

Let Q mean: wait for a bus on route nr 7.

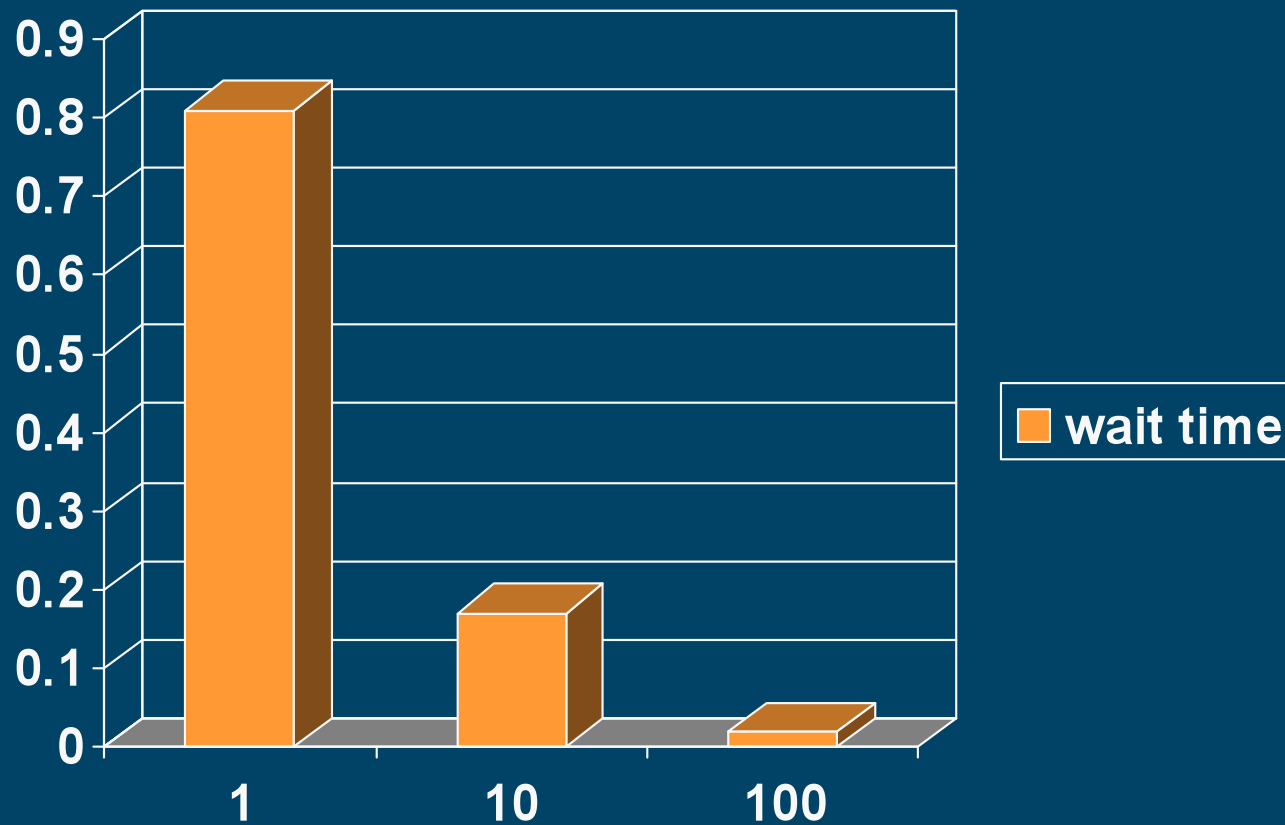
The average wait is 28 mins

$(P \text{ both } Q)$ means: wait for both busses,
in either order.

The average wait goes up to 45 mins

Delay of *both*

average: .81 + 1.701 + 1.99 = 4.501



Implementation of *both*

```
HANDLE temp [2] = { p, q } ;  
WaitForMultipleObjects  
    ( 2, temp, true, INFINITE) ;  
{/*.. code to deal with p and with q..*/}
```

Sockets implementation

```
/* implements p both q */  
fd_set temp;  
FD_ZERO(&temp);  
FD_SET(p, &temp); FD_SET(q, &temp);  
select(0, &temp, NULL, NULL, NULL);  
select(0, &temp, NULL, NULL, NULL);  
{/*..read from q..*/}  
{/*..read from p..*/}
```

One bus after another

Let P mean: wait for a bus on route nr 9.

The average wait is 28 mins.

Let Q mean: wait for a bus on route nr 7.

The average wait is 28 mins

$(P \text{ then } Q)$ means wait for P first,
and then wait for Q .

The average wait goes up to 56 mins

Implementation of *then*

$\{ P \text{ then } Q \} = P$ must happen first,
followed by Q

...implemented often as $\{ P ; Q \}$

Commitment

(P then Q) first (R then S)

commits after the first of *P* and *R* .

Bad case:



Atomicity

$P \text{ both } Q = \{ P \text{ then } Q \} \text{ first } \{ Q \text{ then } P \}$

because P and Q are atomic

Implementation

```
/* implements( P then Q ) first ( R then S ) */
HANDLE temp [2] = { p, r };
DWORD whichone = WaitForMultipleObject
    ( 2, temp, false, INFINITE );
if (whichone == WAIT_OBJECT_0)
    { /* ..deal with p..*/
        WaitForSingleObject( q, INFINITE );
        /* ..deal with q..*/
    }
else { /* ..deal with r..*/
        WaitForSingleObject ( s, INFINITE );
        /* ..deal with s..*/
    }
```

Sockets implementation

```
/* implements (P then Q) first (R then S). */
fd_set temp;
FD_ZERO(&temp);
FD_SET(p, &temp); FD_SET(r, &temp);
select(0, &temp, NULL, NULL, NULL);
if(FD_ISSET(p, &temp))
    {FD_ZERO(&temp); FD_SET(q, &temp);
      /*..read from p..*/
      select(0, &temp, NULL, NULL, NULL);
      /*..read from q..*/
    }
Else {FD_ZERO(&temp); FD_SET(s, &temp);
      /*..read from r..*/
      select(0, &temp, NULL, NULL, NULL);
      /*..read from s..*/
    }
```

command

wait time

1. <i>P</i>	2.8
2. <i>Q</i>	2.8
3. <i>P first Q</i>	1.1
4. <i>P both Q</i>	4.5
5. <i>P then Q</i>	5.6

$$5.6 = 2.8 + 2.8 = 4.5 + 1.1$$

$$X + Y = (X \text{ min } Y) + (X \text{ max } Y)$$

Other distributions

	<i>first</i>	<i>both</i>
• Poisson	1.4	4.2
• Uniform	1.9	3.7
• Constant	2.8	2.8

Non-determinism

Let P mean: wait for a bus on route nr 9.

The average wait is 28 mins.

Let Q mean: wait for a bus on route nr 7.

The average wait is 28 mins

$(P \text{ any } Q)$ means: let the choice be made
(say) by my neighbour

The average wait went up to 40 mins

Conclusion

- Identify wait-points in your program
- Replace them by concurrent waits
- Estimate probabilities for wait durations
- Protect waits by time-out
- Release resources before a wait

.....as far as you can.

Safety

- Allocate each event to a single thread to wait for
- Note what can change during the wait
- Test again the properties that matter
- ASSERT what you hope is unchanged
- ...both before and after the wait.

.....May all your waits be fast and safe!